

Prediction of Phase Fractions and Vickers Hardness in Hot Stamping Processes with an Advanced Material Model in LS-DYNA

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Agenda

- Introduction
 - Hot stamping / Press hardening
 - Standard approach for material modeling

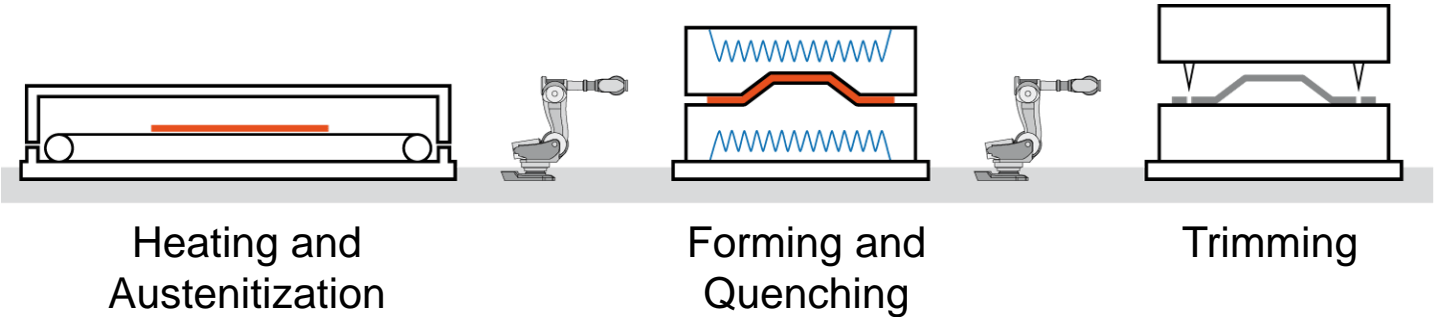
- Advanced material model
 - Austenite decomposition model
 - Prediction of Vickers Hardness
 - Constitutive Modeling

- Recent enhancements
 - Modified reaction kinetics
 - Hardness calculation for tailored tempering

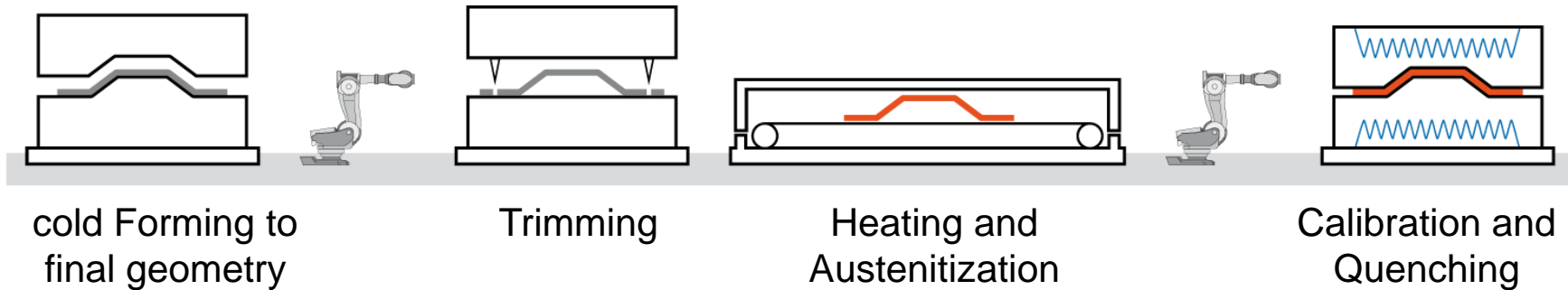
- Example

Hot Stamping / Press Hardening

Direct Press Hardening/ Hot Stamping



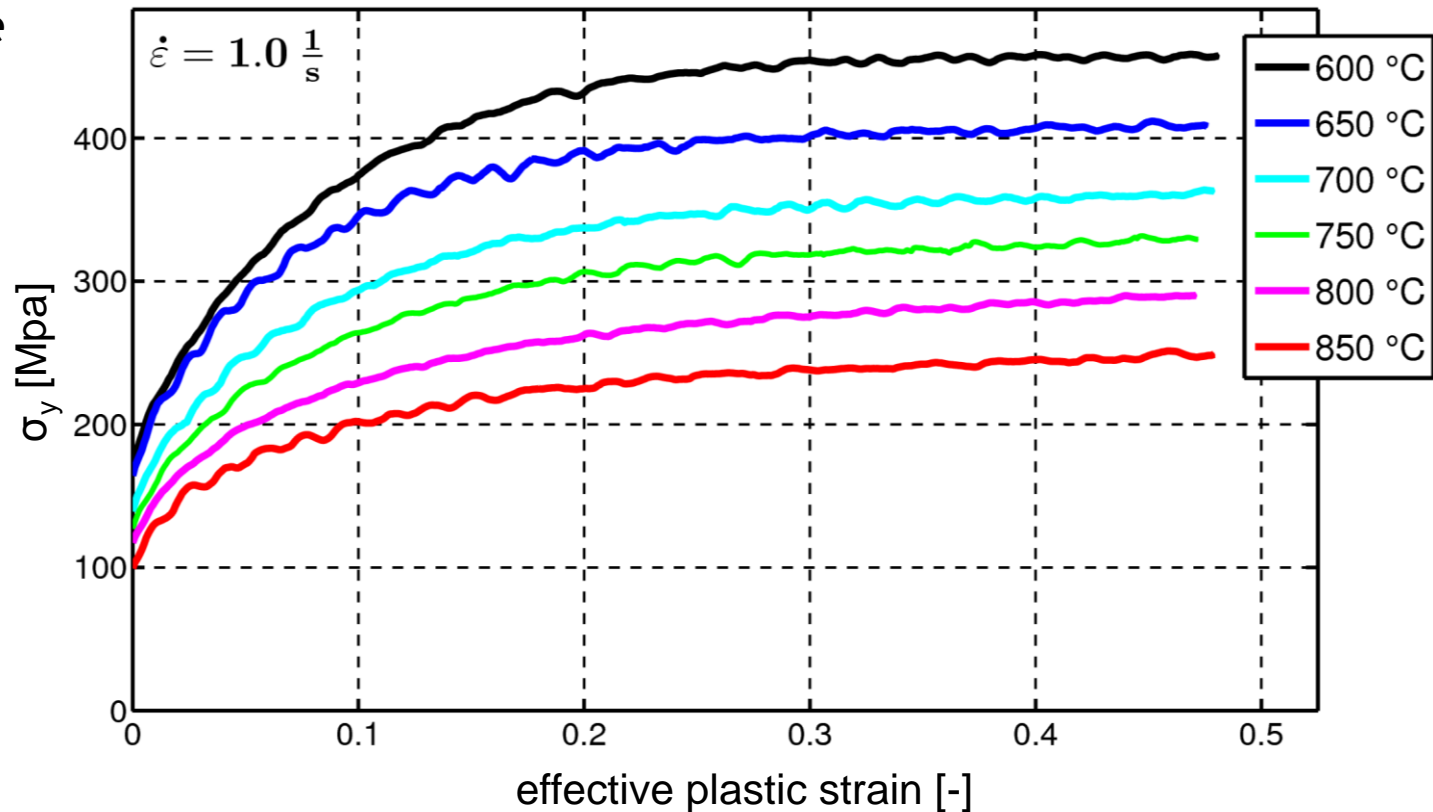
Indirect Press Hardening / PHS-Process



Material Modeling - Standard Approach

Elasto-viscoplastic material model:

- yield stress depends on
 - effective plastic strain
 - temperature
 - strain rate



Capabilities

- correct prediction of forming in the austenitic state:
 - stresses and strains
 - thinning
 - forces
- prediction of temperature history in the blank/part

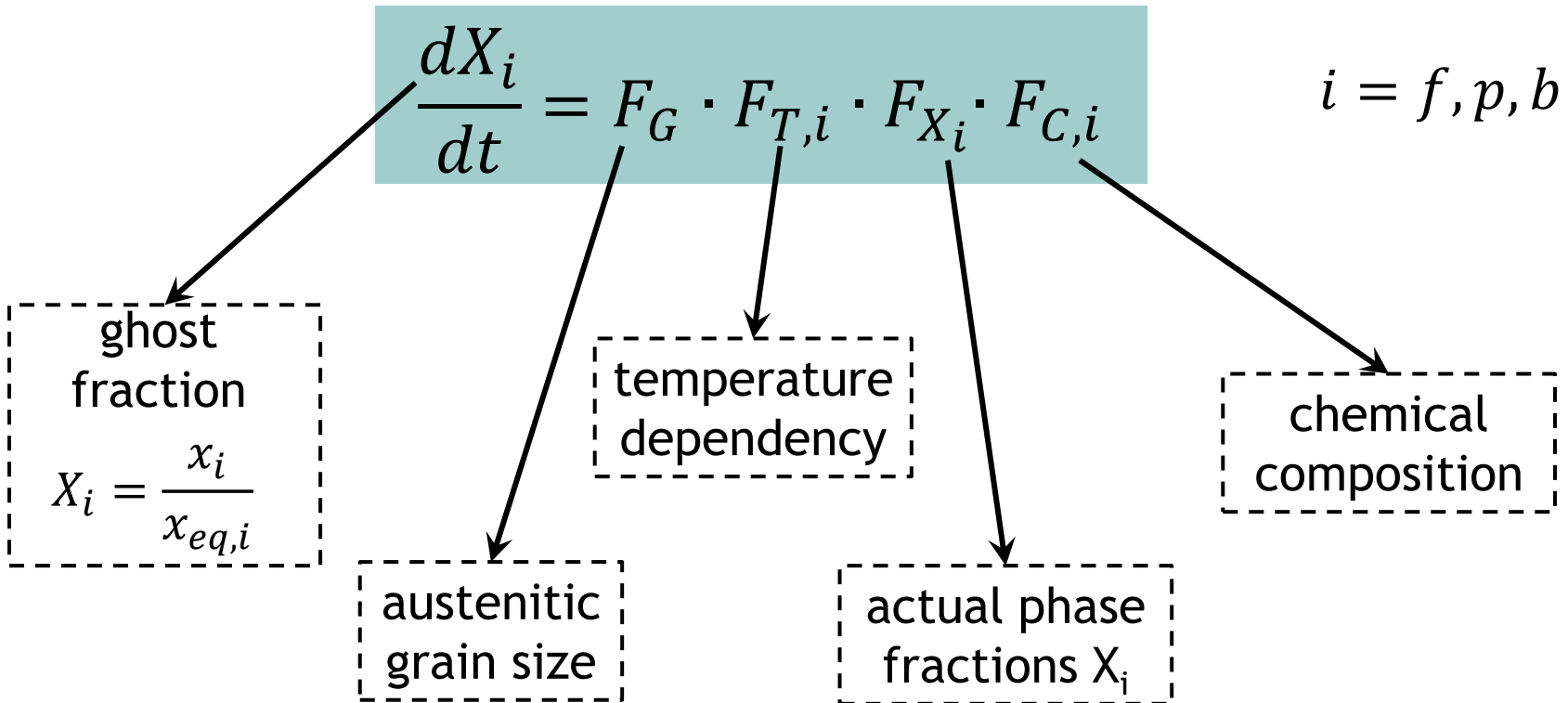
Limits

- prediction of microstructure (phase fractions) and hardness:
 - only rough estimations based on CCT diagram can be made
 - not possible for tailored tempering processes
- ➔ only rough estimations of final part properties like strength and hardness

Advanced material model for
prediction of phase fractions
and Vickers hardness

Austenite Decomposition Model

- Implemented model is based on the work of P. Åkerström
- Rate equation for diffusion-controlled transformation of austenite to bainite, ferrite and pearlite as proposed by Kirkaldy et al.



Austenite Decomposition Model

■ Transformation of austenite to ferrite

$$\frac{dX_f}{dt} = \underbrace{\left[2^{0.5(G-1)} \right]}_{F_G} \cdot \underbrace{\left[(T_{st,f} - T)^3 \cdot e^{-\frac{Q_f}{RT}} \right]}_{F_{T,f}} \cdot \underbrace{\left[X_f^{\frac{2}{3}(1-X_f)} (1 - X_f)^{\frac{2}{3}X_f} \right]}_{F_{X,f}} \cdot F_{C,f}$$

$$F_{C,f} = \left[59.6Mn + 1.45Ni + 67.7Cr + 244Mo + K_f B \right]^{-1}$$

$$T_{st,f} = 1185 - 203\sqrt{C} - 15.2Ni + 44.7Si + 104V + 31.5Mo + 13.1W \\ - 30Mn - 11Cr - 20Cu + 700P + 400Al + 120As + 400Ti$$

Austenite Decomposition Model

■ Transformation of austenite to pearlite

$$\frac{dX_p}{dt} = \underbrace{[2^{0.5(G-1)}]}_{F_G} \cdot \underbrace{[(T_{st,p} - T)^3 \cdot D]}_{F_{T,p}} \cdot \underbrace{\left[X_p^{\frac{2}{3}(1-X_p)} (1 - X_p)^{\frac{2}{3}X_p} \right]}_{F_{X,p}} \cdot F_{C,p}$$

$$F_{C,p} = [1.79 + 5.42(Cr + Mo + 4MoNi + K_p B)]^{-1}$$

$$D = \left[\frac{1}{\exp(-Q_p/RT)} + \frac{0.01Cr + 0.52Mo}{\exp(-1.34Q_p/RT)} \right]^{-1}$$

$$T_{st,p} = 996 - 10.7Mn - 16.9Ni + 29Si + 16.9Cr + 290As + 6.4W$$

Austenite Decomposition Model

■ Transformation of austenite to bainite

$$\frac{dX_b}{dt} = \underbrace{[2^{0.5(G-1)}]}_{F_G} \cdot \underbrace{[(T_{st,b} - T)^2 \cdot e^{-\frac{Q_b}{RT}}]}_{F_{T,b}} \cdot \underbrace{\left[\frac{X_b^{\frac{2}{3}(1-X_b)} (1-X_b)^{\frac{2}{3}X_b}}{\exp(C_r X_b^2)} \right]}_{F_{X,b}} \cdot F_{C,b}$$

$$C_r = 1.9C + 2.5Mn + 0.9Ni + 1.7Cr + 4Mo - 2.6$$

$$F_{C,b} = [0.0001(2.34 + 10.1C + 3.8Cr + 19Mo)]^{-1}$$

$$T_{st,b} = 929 - 58C - 35Mn - 75Si - 15Ni - 34Cr - 41Mo$$

Austenite Decomposition Model

- Diffusionless transformation of austenite to martensite is modeled with Koistinen-Marburger equation:

$$x_m = x_\gamma \left[1 - e^{-\alpha(T_{st,m} - T)} \right]$$

$$T_{st,m} = 834 - 474C - 33Mn - 17Ni - 17Cr - 21Mo$$

Prediction of Vickers Hardness

- Empirical model form Maynier et al.

$$HV = (x_f + x_p)HV_{f+p} + x_bHV_b + x_mHV_m$$

$$HV_{f+p} = 42 + 223C + 53Si + 30Mn + 12.6Ni + 7Cr + 19Mo \\ + (10 - 19Si + 4Ni + 8Cr + 130V) \lg\left(\frac{dT_{973}}{dt}\right)$$

$$HV_b = -323 + 185C + 330Si + 153Mn + 65Ni + 144Cr + 191Mo \\ + (89 + 53C - 55Si - 22Mn - 10Ni - 20Cr - 33Mo) \lg\left(\frac{dT_{973}}{dt}\right)$$

$$HV_m = 127C + 949 + 27Si + 11Mn + 8Ni + 16Cr + 21 \lg\left(\frac{dT_{973}}{dt}\right)$$

Constitutive Modelling

- Additive decomposition of total strain increment $\Delta\varepsilon_{ij}$:

$$\Delta\varepsilon_{ij} = \Delta\varepsilon_{el,ij} + \Delta\varepsilon_{th,ij} + \Delta\varepsilon_{pl,ij} + \Delta\varepsilon_{tp,ij}$$

- Leblond Model distinguishes two cases:

1. Global yield: von Mises yield criterion with isotropic hardening

$$f = \sqrt{\frac{3}{2}s_{ij}s_{ij}} - \sigma_y = 0$$

$$\sigma_y = \sum_i x_i \sigma_{y,i}(\varepsilon_{pl,i}, \dot{\varepsilon}_{pl}, T) \quad i = \gamma, f, p, b, m$$

Constitutive Modelling

2. Local Yield: Transformation Induced Plasticity (TRIP):

$$\dot{\varepsilon}_{tp,ij} = \frac{3\Delta\varepsilon_{th,1-2}h\left(\frac{\bar{\sigma}}{\sigma_y}\right)\dot{z}\ln(z)}{\sigma_{y,\gamma}(\varepsilon_{pl,\gamma}, \dot{\varepsilon}_{pl}, T)}$$

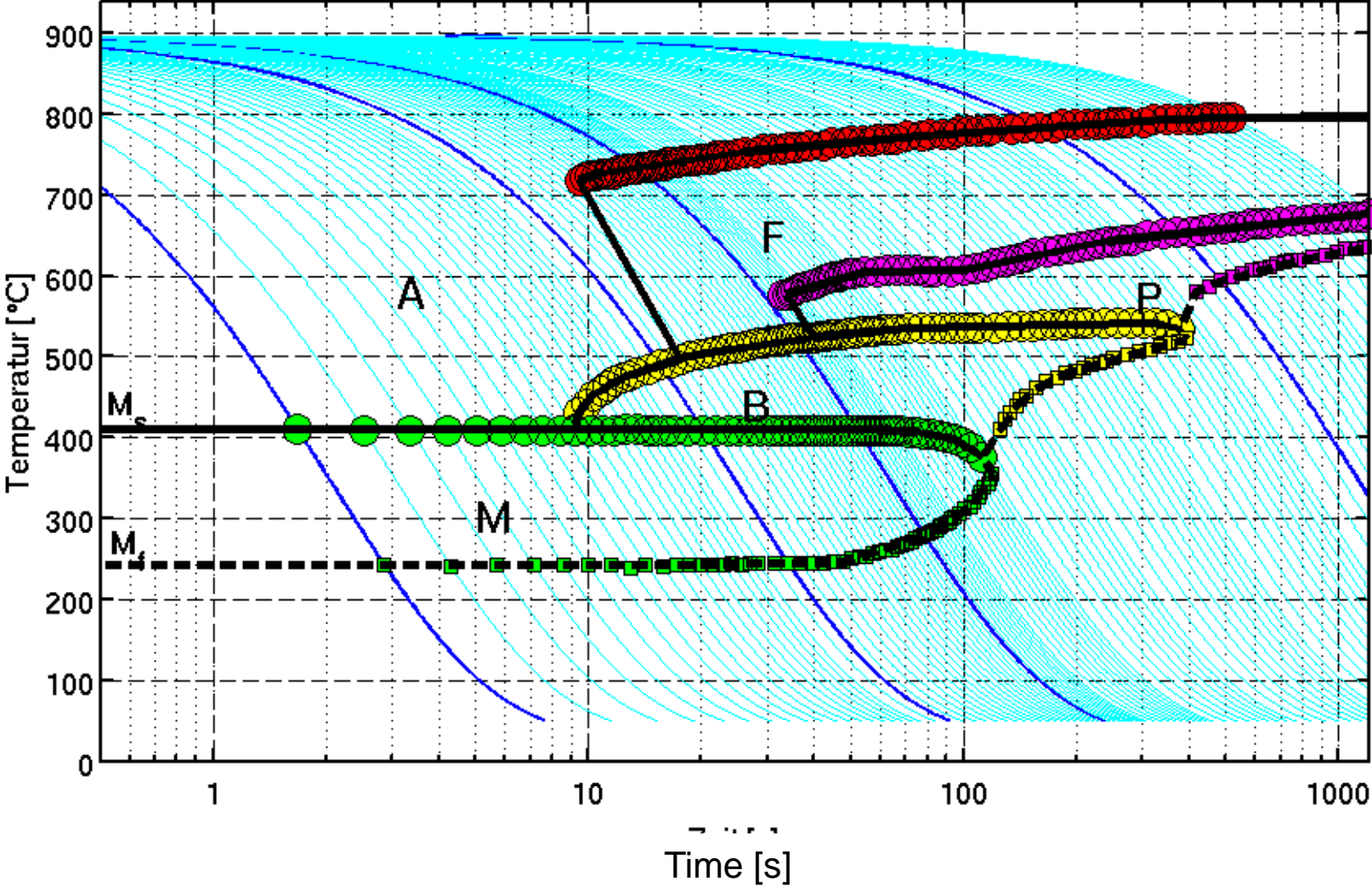
$\Delta\varepsilon_{th,1-2}$: difference in compactness between austenite and other phase

z : total amount of harder phase

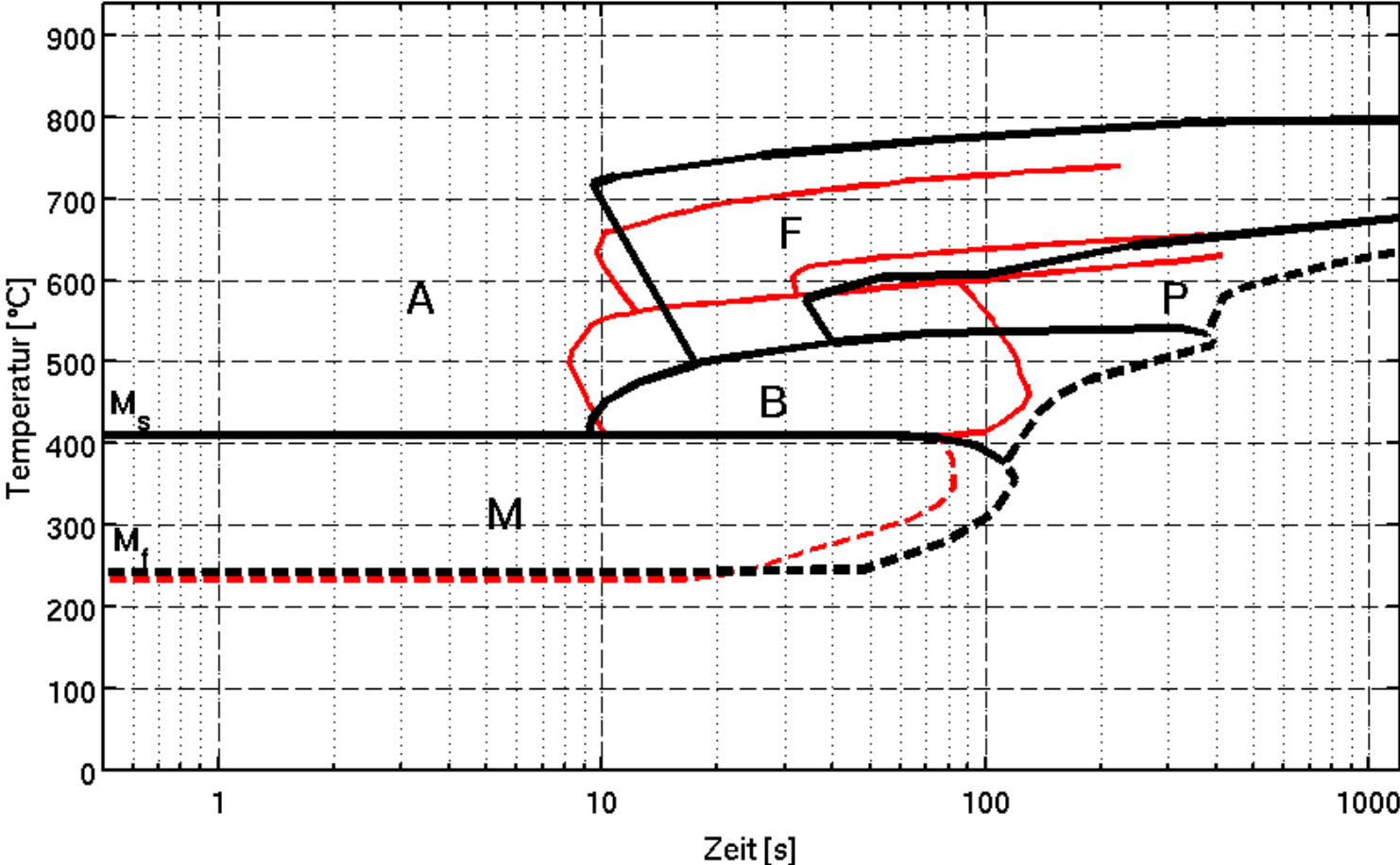
$\sigma_{y,\gamma}(\varepsilon_{pl,\gamma})$: actual yield stress of austenite

$$h\left(\frac{\bar{\sigma}}{\sigma_y}\right) = \begin{cases} 1 & \text{if } \frac{\bar{\sigma}}{\sigma_y} \leq \frac{1}{2} \\ 1 + 3.5\left(\frac{\bar{\sigma}}{\sigma_y} - \frac{1}{2}\right) & \text{if } \frac{\bar{\sigma}}{\sigma_y} > \frac{1}{2} \end{cases}$$

Simulated CCT-Diagram



Simulated vs measured CCT-Diagram



Simulated vs measured CCT-Diagram

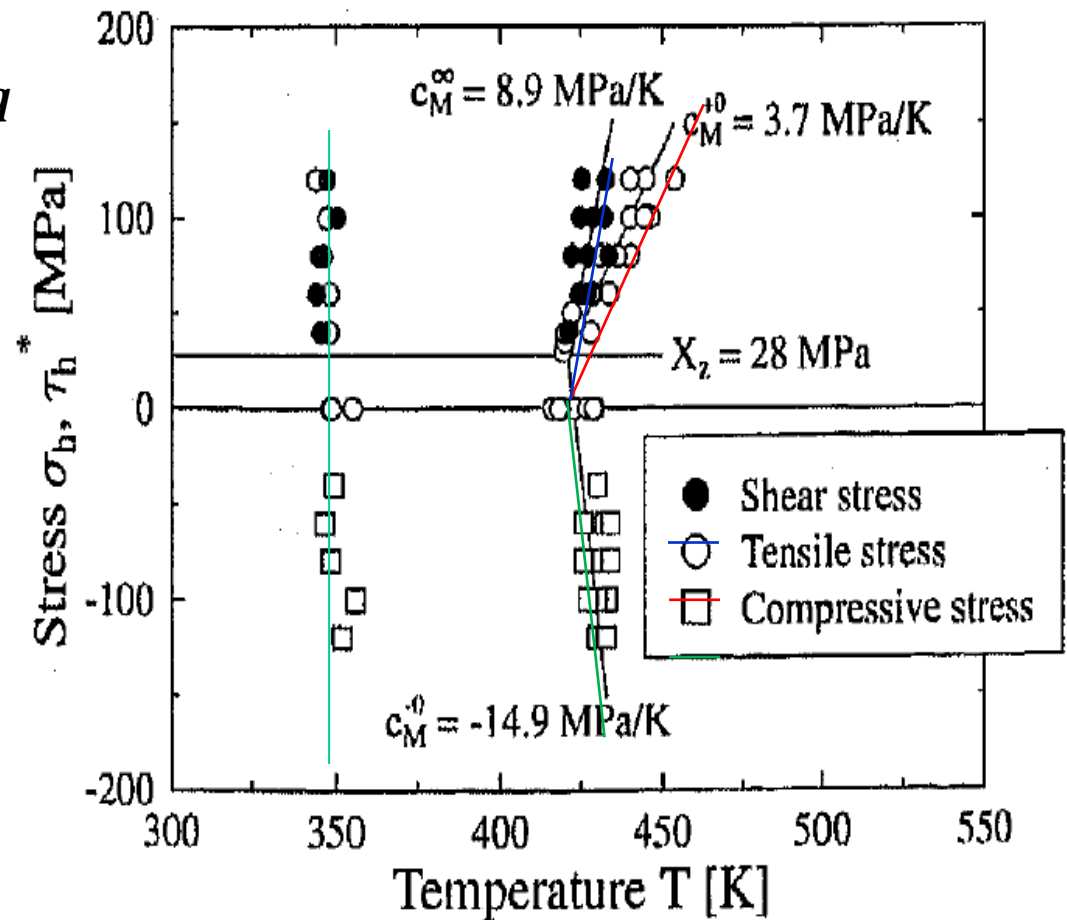
$t_{8/5}$	Simulation	Data from CCT
$t_{8/5} = 1.0 \text{ s}$	$x_m = 100 \%$ $HV = 490$	$x_m \approx 100 \%$ $HV \approx 471$
$t_{8/5} = 12.0 \text{ s}$	$x_m = 91.6 \%$ $x_b = 7.9 \%$ $x_f = 0.3 \%$ $x_p = 0.2 \%$ $HV = 453$	$x_m \approx 90 \%$ $x_b \approx 10 \%$ $x_f \approx 0 \%$ $x_p \approx 0 \%$ $HV \approx 428$
$t_{8/5} = 31.0 \text{ s}$	$x_m = 24.6 \%$ $x_b = 71.4 \%$ $x_f = 3.2 \%$ $x_p = 0.8 \%$ $HV = 315$	$x_m \approx 24 \%$ $x_b \approx 72 \%$ $x_f \approx 4 \%$ $x_p \approx 0 \%$ $HV \approx 250$
$t_{8/5} = 550.0 \text{ s}$	$x_f = 79.5 \%$ $x_p = 20.5 \%$ $HV = 168$	$x_f \approx 80 \%$ $x_p \approx 20 \%$ $HV \approx 156$

Recent Enhancements

Modified Start Temperatures

- User-defined start temperatures for phase transformations
- Increase of martensite start temperature due to applied stress

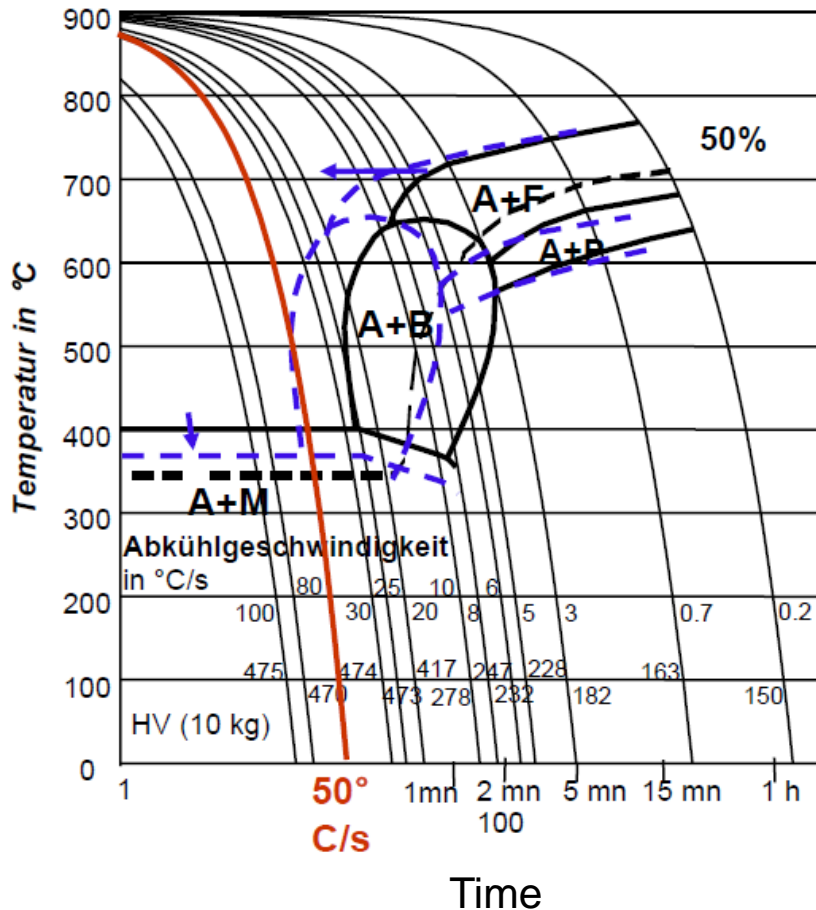
$$T_{st,m} = T_{st,m0} + M_{sig}(\eta)\sigma_{eq}$$



Source: Antretter et al.: The thermo-mechanical response to a general load path of a martensitically transforming steel

Effect of Deformation of Austenite

- Accelerated phase transformation due to plastic deformation of austenite



$$Q_{R,i}(\epsilon_{pl,y}) = Q_{Ri} * c_i(\epsilon_{pl,y})$$

$$F_{T,f} = (T_{st,f} - T)^3 \exp\left(-\frac{Q_{R,f}}{T}\right)$$

$$F_{T,p} = (T_{st,p} - T)^3 \exp\left(-\frac{Q_{R,p}}{T}\right)$$

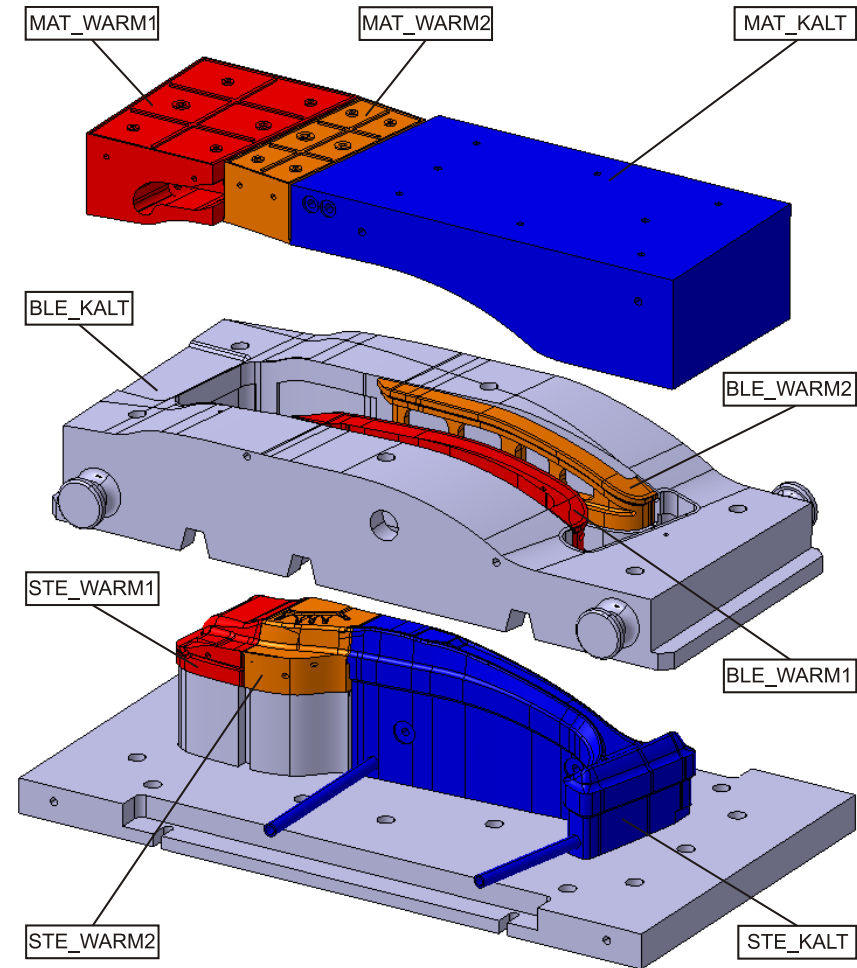
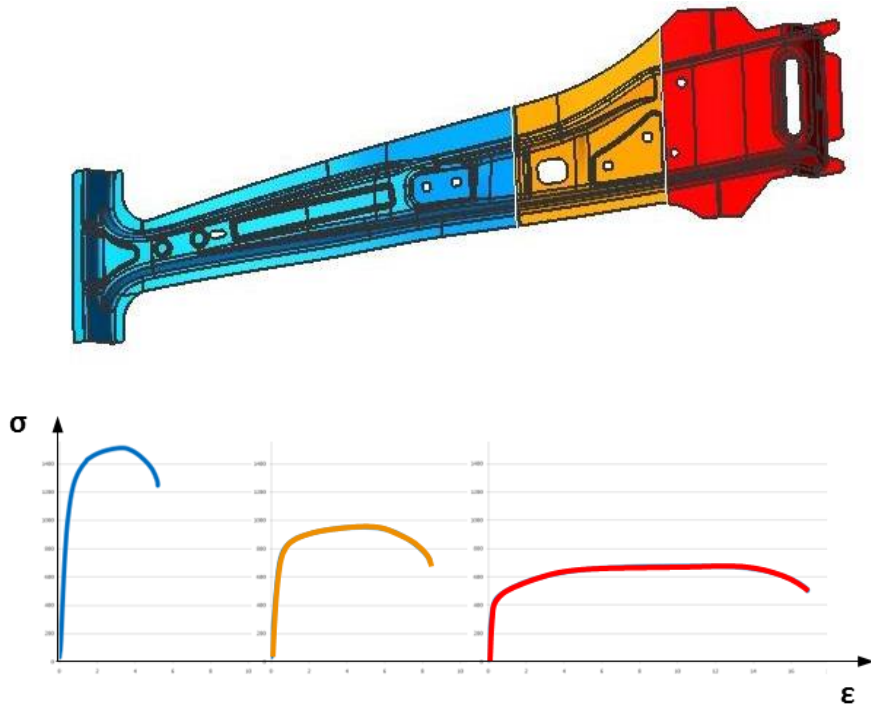
$$F_{T,b} = (T_{st,b} - T)^2 \exp\left(-\frac{Q_{R,b}}{T}\right)$$

$$T_{st,msig} = T_{st,m} + M_{sig}(\eta)\sigma_{eq} + \Delta T_m(\epsilon_{pl,y})$$

$$x_m = x_\gamma \left[1 - e^{-\alpha(T_{st,msig} - T)}\right]$$

Tailored Tempering

- B-Pillar with different final properties (PhD Thesis P. Feuser, Daimler AG)



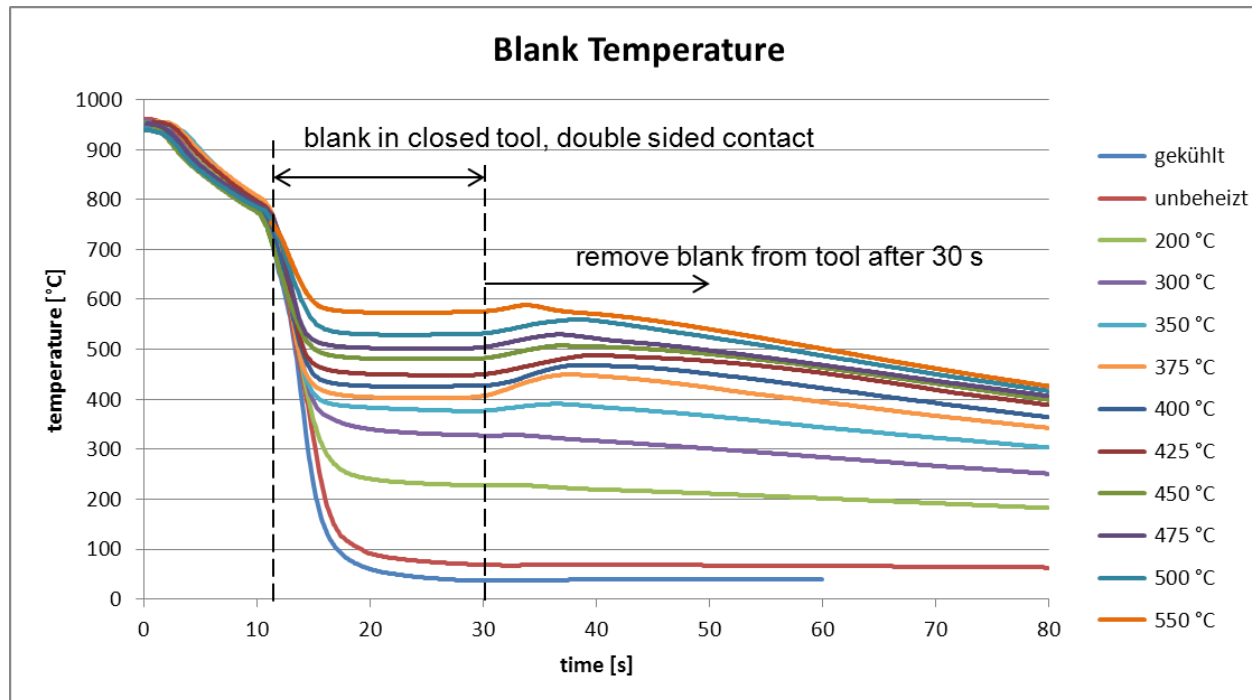
Tempering Option for Hardness Calculation

1. Automatic detection of holding phase

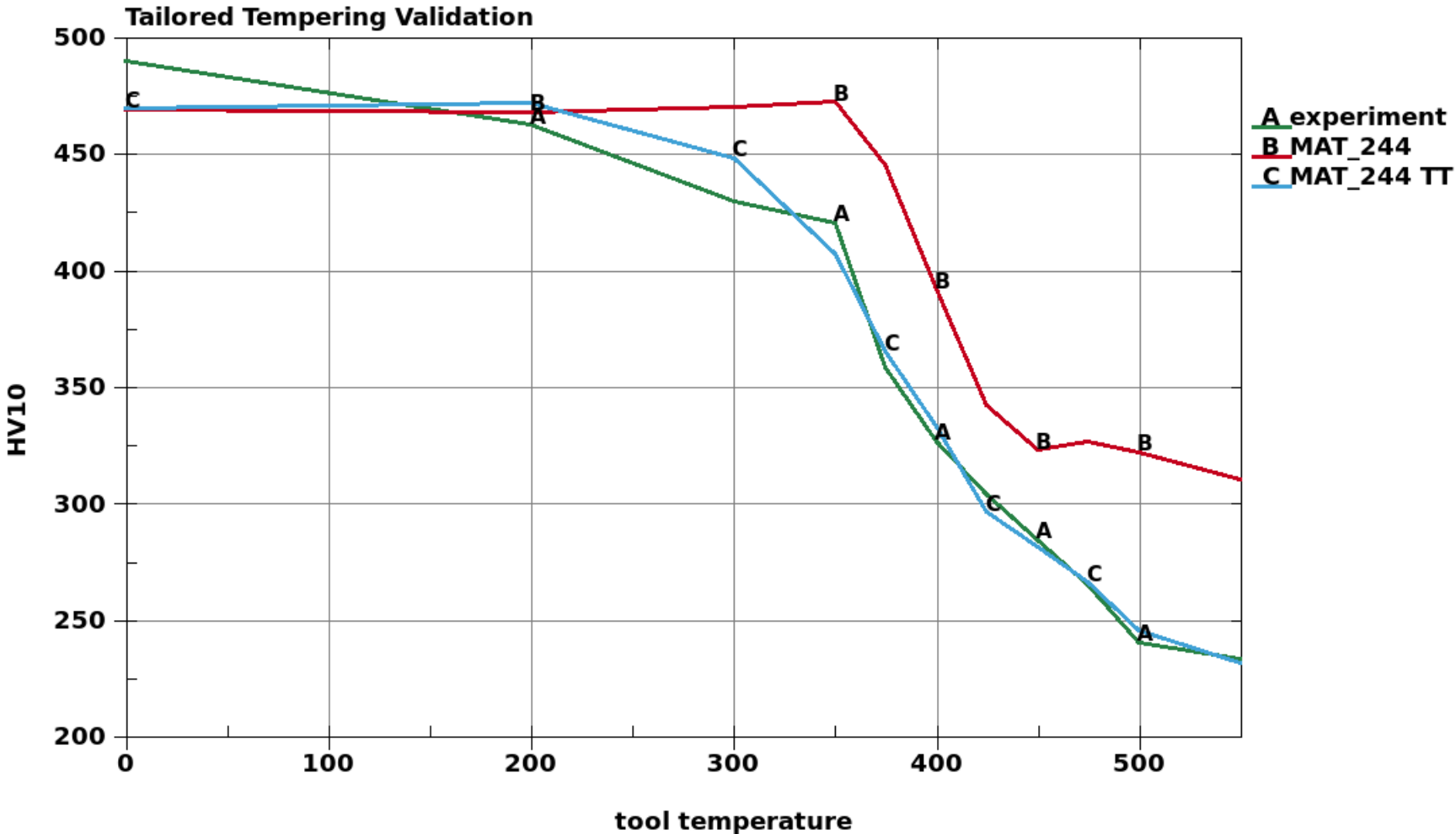
$$|\dot{T}_{avg}| \leq \dot{T}_{crit} \quad \text{and} \quad t_{thresh} > t_{sampling}$$

2. Incremental update for hardness of bainite and martensite

$$HV_i^{n+1} = \frac{x_i^n}{x_i^{n+1}} HV_i^n + \frac{x_i^{n+1} - x_i^n}{x_i^{n+1}} h_i(T) \quad i = b, m$$



Tempering Option for Hardness Calculation



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